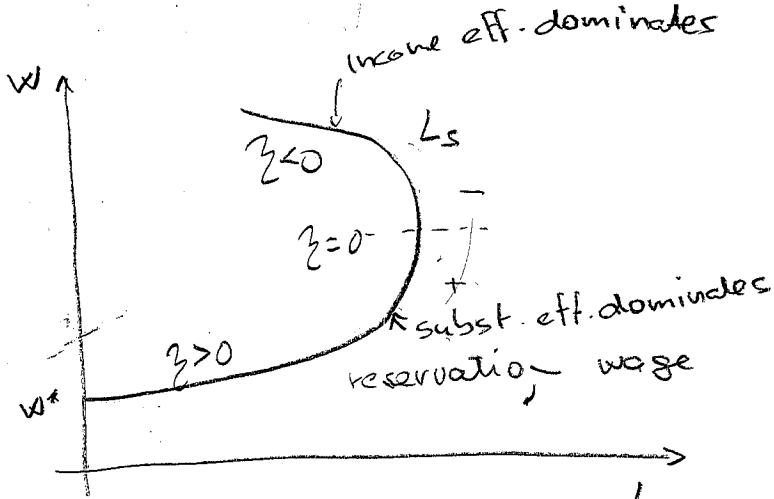


# LABOR SUPPLY CURVE



$$\zeta_{LW} = \frac{\% \Delta L}{\% \Delta w} = \frac{\frac{\Delta L}{L}}{\frac{\Delta w}{w}} \geq 0$$

Labor supply elasticity

☐ MEN -  $\int_{L_1}^{L_2} I$

☐ WOMEN -  $\int_{L_1}^{L_2} I$

share of labor income

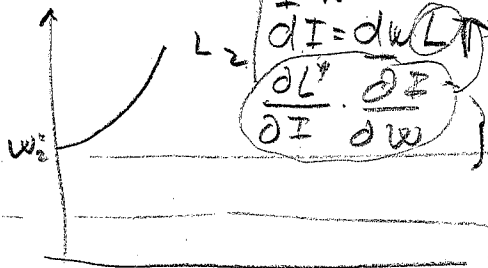
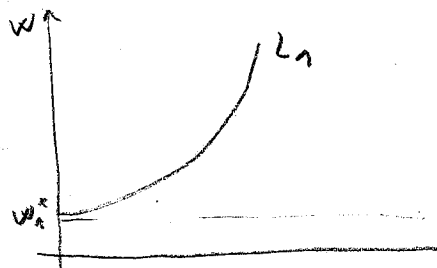
backward bending curve

uncompensated effect  $\rightarrow \frac{\partial L}{\partial w} = \frac{\partial L^*}{\partial w} \Big|_{U=\text{const}} + L \frac{\partial L^*}{\partial I} \Rightarrow \frac{\partial L^*}{\partial w} \frac{w}{L^*} = \frac{\partial L^*}{\partial w} \frac{w}{L^*} \Big|_{U=\text{const}} + \frac{wL^*}{I} \frac{\partial L^*}{\partial I} \frac{I}{L^*}$

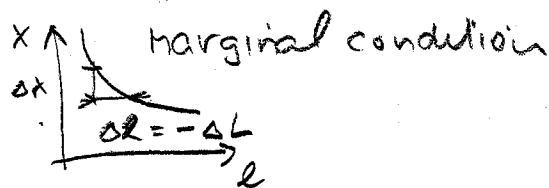
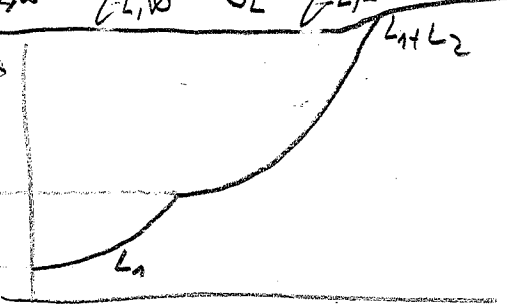
• ADDING UP

Slutsky eq.

$$\zeta_{LW}^{\text{TOT}} = \zeta_{L,W}^{\text{COMP}} + S_L * \zeta_{L,I}$$



$I = wL$   
 $dI = dwL + Ldw$   
 $\frac{\partial L^*}{\partial I} \cdot \frac{\partial I}{\partial w}$



One unit of time  $\Delta t$

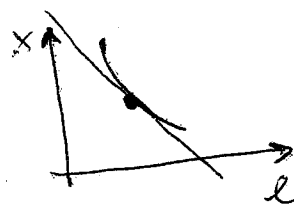
$$\Delta L \Rightarrow \Delta U^L = \frac{\partial U}{\partial e} \Delta L$$

$$\Delta t \rightarrow \Delta L \Rightarrow \Delta U^L = \frac{\partial U}{\partial X} \Delta X$$

where  $\Delta X = w \Delta L$

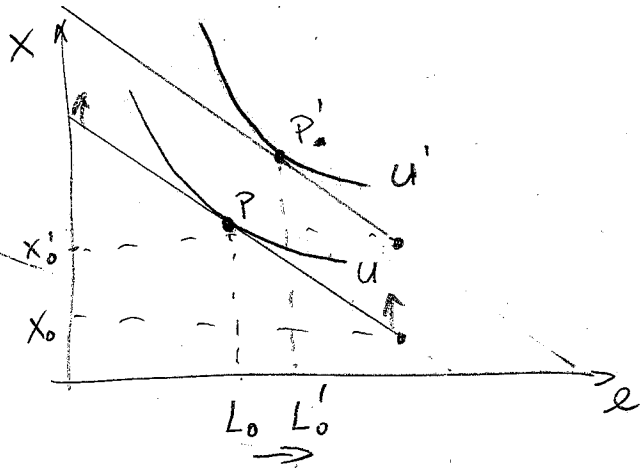
$$\Delta U^L = \Delta U^L \Rightarrow \frac{\partial U}{\partial e} \Delta L = \frac{\partial U}{\partial X} w \Delta L$$

Budget cond.



$$X \leq Lw = (1-e)w$$

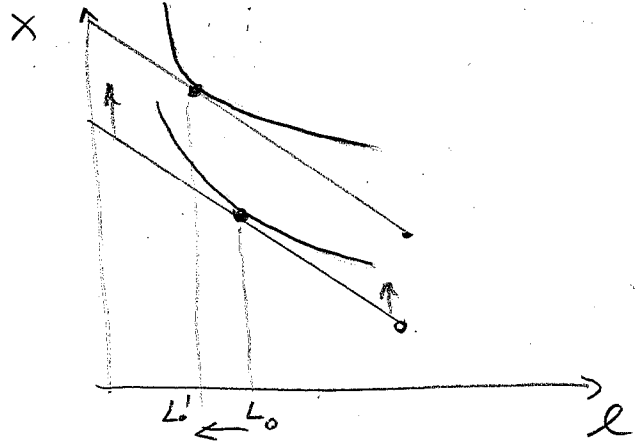
a. IMPACT OF NON-LABOR INCOME  $X_0$



leisure normal good

And

$$\frac{\partial L}{\partial X_0} \Big|_w < 0$$

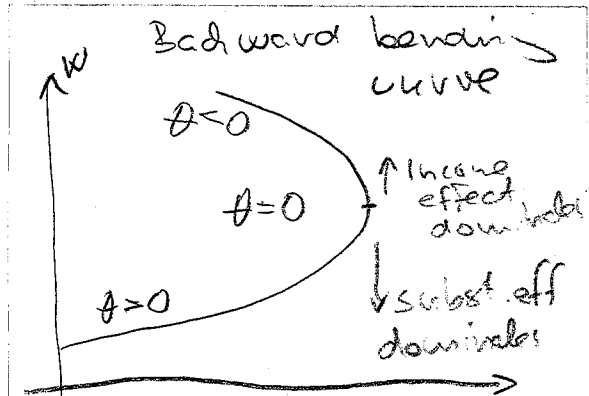
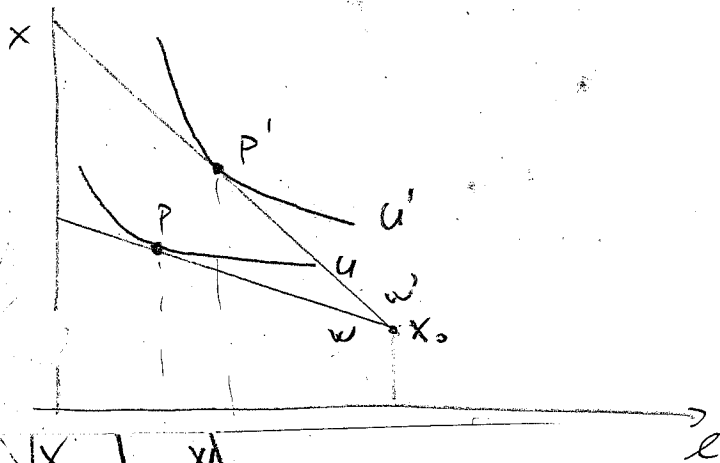


leisure inferior good

traband

$$\frac{\partial L}{\partial X_0} \Big|_w > 0$$

• IMPACT OF WAGE (w is price of leisure)



$$\theta = \frac{\% \Delta L}{\% \Delta w} = \frac{\frac{\Delta L}{L}}{\frac{\Delta w}{w}}$$

labor supply elasticity

INCOME EFFECT

$$+ \frac{\partial L}{\partial I} \frac{\partial I}{\partial w}$$

SUBSTITUTION EF:  $+ (L) \frac{dL}{dw}$

TOTAL EFFECT  $\frac{\partial L}{\partial w} \Big|_{X_0} \geq 0$  subst. e. domin. income effect d.

