

# Explaining wages

## Specialisation, Discrimination, & Superstars

Labour Economics

VŠE Praha

Easter Term 2010

- Simple Equilibrium

- Labour Demand
- Labour Supply

- Difference in wages

- Human Capital
- Immigrants
- Hazard Compensation
- Superstars ← Here
- Specialisation
- Discrimination
- Unionisation
- Incentivisation

## Definition (Superstar)

A star (as in sports or the movies) who is considered extremely talented, has great public appeal, and can usually command a high salary.

© Merriam-Webster

## Fact

*Some make into 'stars' and then into 'superstar,' while the others do not.*

*Explain!*

- Perception

# Economics of Superstars

- Perception
- Profession

# Economics of Superstars

- Perception
- Profession
  - Technology

# Economics of Superstars

- Perception
- Profession
  - Technology
  - Need

# Economics of Superstars

- Perception
- Profession
  - Technology
  - Need
- Value of time and alternatives for Consumption



- Non-Pop Artists

# Economics of Superstars

- Non-Pop Artists
- Producing Giffen goods?

# Economics of Superstars

- Non-Pop Artists
- Producing Giffen goods?
  - Maybe...

- Non-Pop Artists
- Producing Giffen goods?
  - Maybe...
  - No, does not really fit

- Idea as old as Economics is...
- Data from Equilibrium
  - Husband, Wife and Family

# Economics of Specialisation

- Two goods to consume
  - Ordinary consumption:  $C$
  - Home-made goods:  $Z$
- Different productivity
  - Husband is more productive in the Labour Market
  - Wife is more productive at Home
- Household production function

# Economics of Specialisation

# Economics of Discrimination

- Economic judgements based on non-economic factors.
- e.g. different wages for identically skilled people



- Types

- Negative discrimination
- Positive discrimination
  - nepotism

- Source

- Employer d.
- Employee d.
- Customer d.

# Employer Discrimination

Production function:

$$q = f(E_m + E_f)$$

Discrimination coefficient:

$$w_m (1 + \delta) = w_f$$

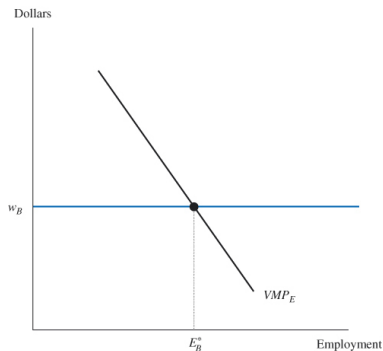
Market:

$$w_m < w_f$$

# Employer Discrimination

Non-discriminating employer:

$$w_m = VMP_E$$



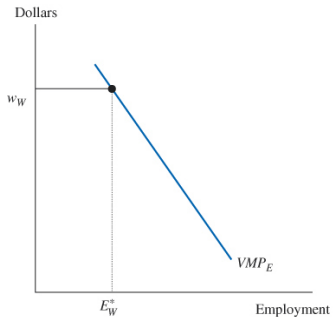
Discriminating employer:

- Hire only men if

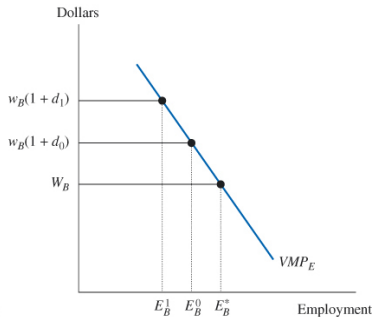
$$w_m (1 + \delta) < w_f$$

- Otherwise, hire only female

# Discrimination and Employed

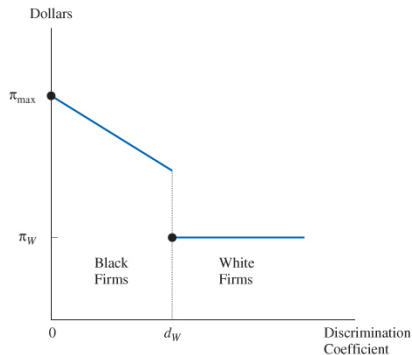


(a) White Firm

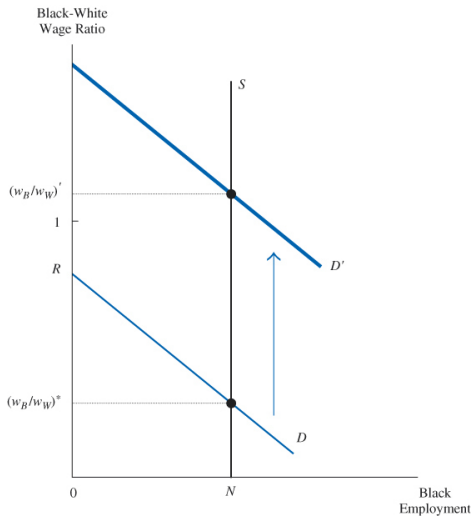


(b) Black Firm

# Discrimination and Profits



# Discrimination and Labour Market Equilibrium



# Statistical Discrimination

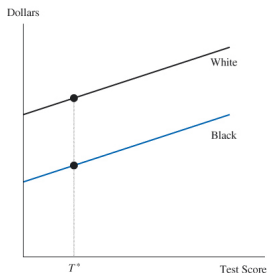
- Imperfect screening
- Group averaging

$$w = \alpha T + (1 - \alpha) \bar{T}$$

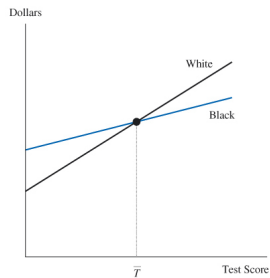


# Statistical Discrimination

$$w = \alpha T + (1 - \alpha) \bar{T}$$



(a) Whites have a higher average score



(b) Test is better predictor for white workers

# Discrimination and Data: Oaxaca Decomposition

$$\Delta \bar{w} = \bar{w}_m - \bar{w}_f$$

Male:

$$w_m = \alpha_m + \beta_m s_m$$

Female:

$$w_f = \alpha_f + \beta_f s_f$$

$$\Delta \bar{w} = \bar{w}_m - \bar{w}_f = \alpha_m + \beta_m \bar{s}_m - \alpha_f - \beta_f \bar{s}_f$$

$$\pm \beta_m \bar{s}_f$$

$$\Delta w = \underbrace{(\alpha_m - \alpha_f) + (\beta_m - \beta_f) \bar{s}_f}_{\text{discrimination}} + \underbrace{\beta_m (\bar{s}_m - \bar{s}_f)}_{\text{objective}}$$