Intermediate Microeconomics Government

Agribusiness Teaching Center Easter Term 2015



Why Do Governments Exist?

Role of Government

Mancur Olson theory of state:

Origins of government

Role of Government

Mancur Olson theory of state:

- Origins of government
- Roving Bandits vs Stationary Bandits

Role of Government

Market inefficiencies

- Property rights and coordination failures
 - ownership, side of driving, production chains
- Public good
 - □ non-excludable and (non-)rivalrous, free-riding
- Externalities
 - □ (Pigouvian) taxes, education
- Monopoly and imperfect competition

Redistribution

Robin Hood?

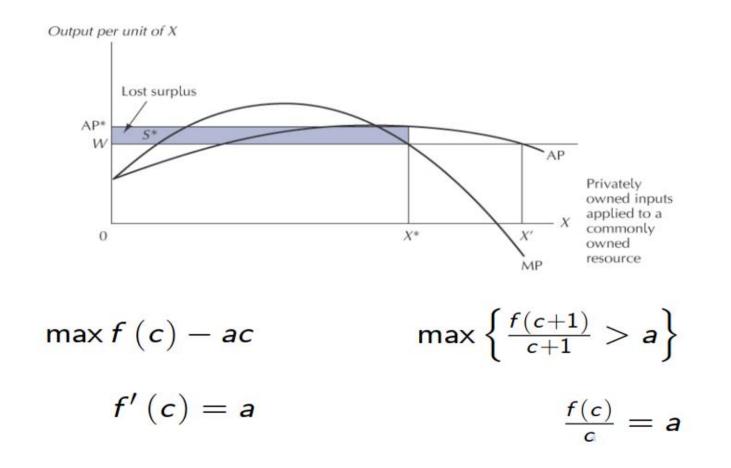
Market intervention

Good Characteristics Excludability and Rivalry

		Yes	No
	Yes	Private Goods (Hot dogs, Automobiles, Houses)	Common Goods (Fishing ground Public grazing land, Clean air)
Rival	No	Club Goods (Bridges Swimming pools)	Public Good (Mosquito control Justice, Ideas)

Exclusive

Tragedy of Commons ... or One More Reason for Communism to Fail



Tragedy of Commons ... or One More Reason for Communism to Fail

Ingredients:

- common property (graze field or fishing pond)
- diminishing returns to scale production
- many people
- social vs. personal optimisation
 - What about Nepotism?

Externalities as source for inefficiency

Definition

There is a **consumption externality** if one consumer cares directly about another agent's production or consumption.

Definition

There is a **production externality** if the production possibilities of one firm are influenced by the choices of another firm.

Externality

Definition

External economy in production (consumption) or positive production (consumption) externality is an increase in production possibilities (utility) form others' production or consumption.

Definition

External dis-economy in production (consumption) or negative production (consumption) externality is a decrease in production possibilities (utility) form others' production or consumption.

External dis-economy (modelling)

• Producing firm:

$$\max_{s,x} p_s s - c_s \left(s, x\right)$$

• Conditions:

$$\frac{\partial c_s}{\partial x} < 0$$

$$p_{s} = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial s}$$
$$0 = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial x}$$

• Consuming firm:

$$\max_{f} p_{f} f - c_{f} (f, x)$$

• Conditions:

$$\frac{\partial c_f}{\partial x} > 0$$

$$\frac{\partial c_i}{\partial i} > 0$$

$$p_f = \frac{\partial c_f (f^*, x^*)}{\partial f}$$

External dis-economy (modelling)

$$p_{s} = \frac{\partial c_{s}\left(s^{*}, x^{*}\right)}{\partial s}$$

(overproduction, low costs)

$$0 = \frac{\partial c_s\left(s^*, x^*\right)}{\partial x}$$

(mis-production, missing market)

$$p_f = \frac{\partial c_f\left(f^*, x^*\right)}{\partial f}$$

(underproduction, too high costs)

External dis-economy Socially optimal production: Internalising

Joint production:

$$\max_{s,f,x} p_s s + p_f f - c_s (s,x) - c_f (f,x)$$

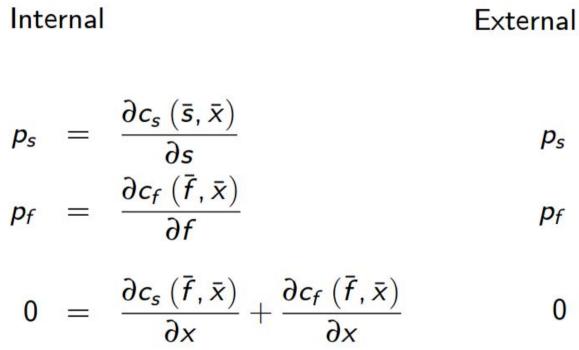
• Optimality conditions:

$$p_{s} = \frac{\partial c_{s} (\bar{s}, \bar{x})}{\partial s}$$

$$p_{f} = \frac{\partial c_{f} (\bar{f}, \bar{x})}{\partial f}$$

$$0 = \frac{\partial c_{s} (\bar{f}, \bar{x})}{\partial x} + \frac{\partial c_{f} (\bar{f}, \bar{x})}{\partial x}$$

External dis-economy Socially optimal production: Internalising

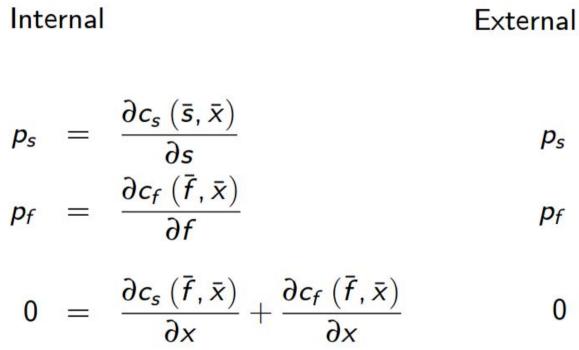


$$p_{s} = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial s}$$

$$p_{f} = \frac{\partial c_{f} (f^{*}, x^{*})}{\partial f}$$

$$0 = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial x}$$

External dis-economy Socially optimal production: Internalising



$$p_{s} = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial s}$$

$$p_{f} = \frac{\partial c_{f} (f^{*}, x^{*})}{\partial f}$$

$$0 = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial x}$$

External dis-economy Solutions

Generally, 3 ways of eliminating externalities

- Internalising
- Pigouvian Tax
- Redefining Property Rights

External dis-economy Arthur Cecil Pigou

Pigouvian Tax:

$$\max_{s,x} p_s s - c_s (s, x) - tx$$

• Optimality conditions:

$$p_{s} - \frac{\partial c_{s}(s, x)}{\partial s} = 0$$
$$-t - \frac{\partial c_{s}(s, x)}{\partial x} = 0$$

External dis-economy Pigouvian taxes vs Internalisation

Assume:
$$t = \frac{\partial c_f(f,x)}{\partial x}$$

Internalisation

Pigouvian tax

 $p_{s} = \frac{\partial c_{s}(\bar{s}, \bar{x})}{\partial s} \qquad p_{s} = \frac{\partial c_{s}(s, x)}{\partial s}$ $p_{f} = \frac{\partial c_{f}(\bar{f}, \bar{x})}{\partial f} \qquad p_{f} = \frac{\partial c_{f}(f, x)}{\partial f}$ $0 = \frac{\partial c_{s}(\bar{f}, \bar{x})}{\partial x} + \frac{\partial c_{f}(\bar{f}, \bar{x})}{\partial x} \qquad t = \frac{\partial c_{s}(s, x)}{\partial x}$

External dis-economy Defining Property Rights

• Producing firm:

 $\max_{s,x} p_s s - c_s \left(s, x\right) - qx$

• Conditions:

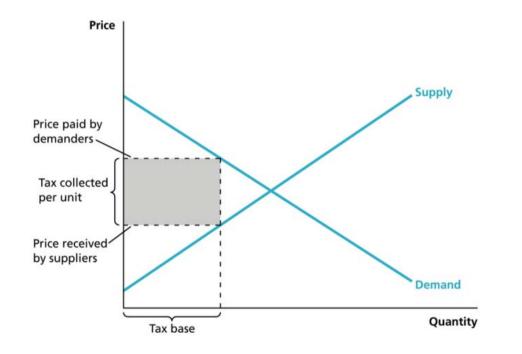
$$p_{s} = \frac{\partial c_{s} (s^{*}, x^{*})}{\partial s}$$
$$q = -\frac{\partial c_{s} (s^{*}, x^{*})}{\partial x}$$

- Consuming firm:
 - $\max_{f,x} p_f f c_f (f, x) + qx$
- Conditions:

$$p_{f} = \frac{\partial c_{f} (f^{*}, x^{*})}{\partial f}$$
$$q = \frac{\partial c_{f} (f^{*}, x^{*})}{\partial x}$$

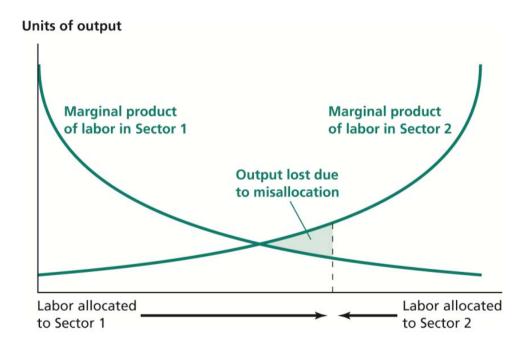
Government related problems

Deadweight loss of taxation



Government Related problems

Industrial policy



Subsidies to sectors, wage controls, import monopolies, ISI, and the like

Government related problems

- Corruption
- Kleptocracy
- Self-preservation